

Name: _____ Class: _____

The word *trigonometry* is derived from the ancient Greek language and means triangle measurement. A trigonometric ratio is a ratio of the lengths of two sides of a triangle. There are three basic trigonometric ratios; sine, cosine, and tangent.

The heights of trees and buildings can be calculated using an angle of elevation and a trigonometric ratio. The steepness of walking trails (percent of grade) can be calculated using a trigonometric ratio. You will discover what these three trigonometric ratios are all about.

Open the “**Sine, Cosine and Tangent**” gizmo at www.explorellearning.com

The Sine Ratio

Choose the *sine tab* at the top of the Gizmo. Click on “show side lengths” and “show sine computation”. Drag the bullet until the $m\angle A = 32^\circ$. (To quickly set a value, type a number in the box to the right of the slider and press Enter).

(1) Underneath “show sine computation”, what words describe the ratio (fraction) listed for $\sin 32^\circ$?

(2) What is the actual decimal approximation for $\sin 32^\circ$? _____

(3) Click on vertex C on the triangle and slide vertex C left or right to change the lengths of the sides of the triangle. Complete the chart below for three different triangles. **NOTE: The $m\angle A$ should remain 32 degrees.**

Triangle	Length of opp.side/Length of hypotenuse	Decimal
1		
2		
3		

(4) What have you discovered about the Sine Ratio?

The Cosine Ratio

Choose the *cosine tab* at the top of the Gizmo. Click on “show side lengths” and “show cosine computation”. Drag the bullet until the $m\angle A = 32^\circ$. (To quickly set a value, type a number in the box to the right of the slider and press Enter).

(1) Underneath “show cosine computation”, what words describe the ratio(fraction) listed for $\cos 32^\circ$? _____

(2) What is the actual decimal approximation for $\cos 32^\circ$? _____

(3) Click on vertex C on the triangle and slide vertex C left or right to change the lengths of the sides of the triangle. Complete the chart below for three different triangles. **NOTE: The $m\angle A$ should remain 32 degrees.**

Triangle	Length of adj.side/Length of hypotenuse	Decimal
1		
2		
3		

(4) What have you discovered about the Cosine Ratio?

The Tangent Ratio

Choose the *tangent tab* at the top of the Gizmo. Click on “show side lengths” and “show tangent computation”. Drag the bullet until the $m\angle A = 32^\circ$.

(1) Underneath “show tangent computation”, what words describe the ratio(fraction) listed for $\tan 32^\circ$? _____

(2) What is the actual decimal approximation for $\tan 32^\circ$? _____

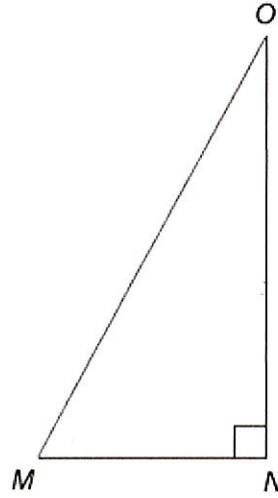
Click on vertex C on the triangle and slide vertex C left or right to change the lengths of the sides of the triangle. Complete the chart below for three different triangles. **NOTE: The $m\angle A$ should remain 32 degrees.**

Triangle	Length of opp.side/Length of adj. side	Decimal
1		
2		
3		

(4) What have you discovered about the Tangent Ratio?

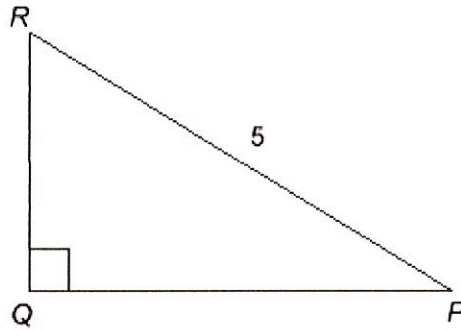
4. In right $\triangle MNO$, what would be equal to $\sin M$?

- A. $\sin O$
- B. $\cos M$
- C. $\tan M$
- D. $\cos O$



5. In right $\triangle PQR$, $\sin P = \frac{3}{5}$, and $\cos P = \frac{4}{5}$. What is $\tan P$?

- A. $\frac{5}{3}$
- B. $\frac{5}{4}$
- C. $\frac{3}{4}$
- D. $\frac{4}{3}$



Assessment Questions:

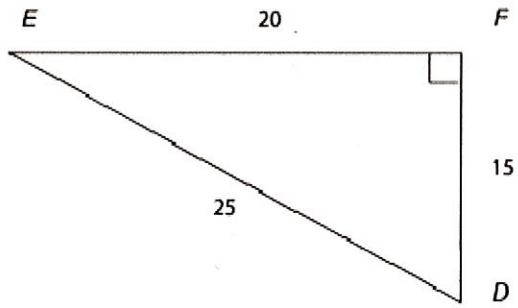
1. In $\triangle DEF$, what is $\sin D$, in simplified form?

A. $\frac{3}{4}$

B. $\frac{4}{5}$

C. $\frac{5}{4}$

D. $\frac{3}{5}$



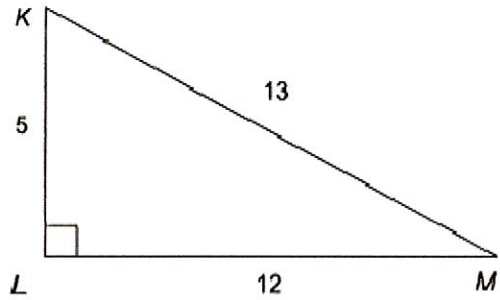
2. What is $\cos K$?

A. $\frac{13}{5}$

B. $\frac{5}{12}$

C. $\frac{12}{13}$

D. $\frac{5}{13}$



3. Find $\tan B$.

A. $\frac{8}{15}$

B. $\frac{15}{8}$

C. $\frac{8}{17}$

D. $\frac{15}{17}$

